

Path Update Algorithms for Mobile Nodes in a Wireless Ad Hoc Sensor Network



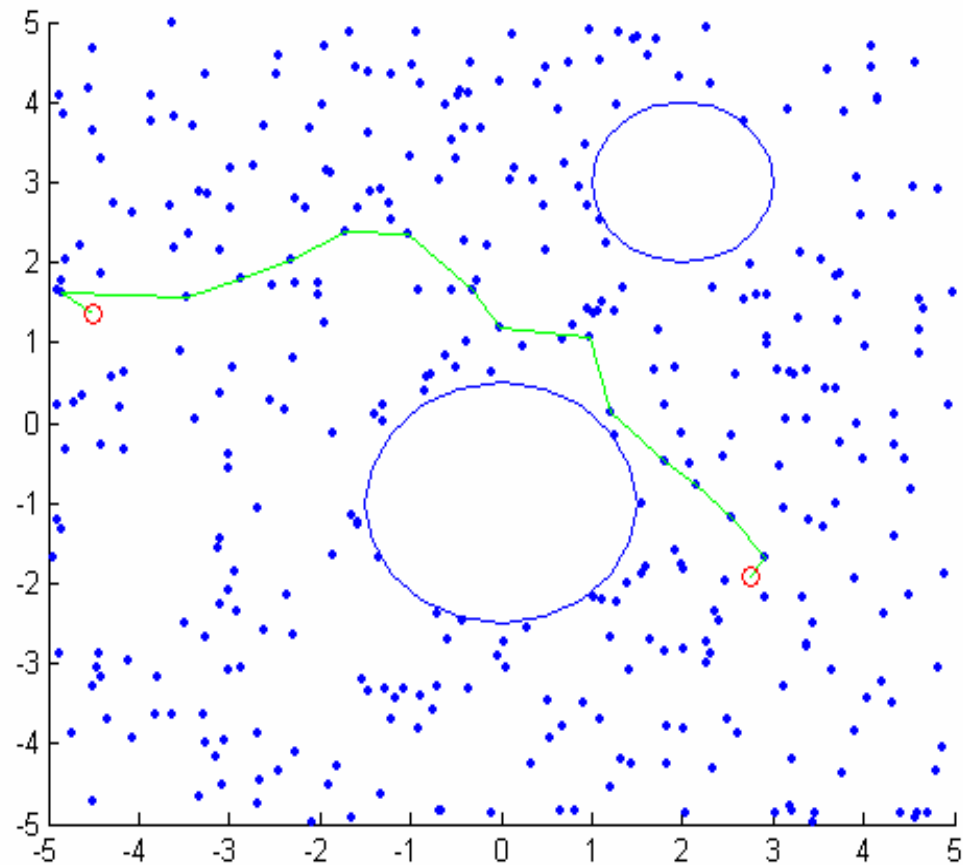
Ritesh Madan & Dileep George
CS428 – Project Presentation
June 05, 2003



Assumptions

- A path exists between the two mobile agents
- Connectivity is preserved
- Position of the mobile agents do not change during a search. (i.e, they move slow enough)
- Mobile Agents do not act as routers
- Local-handoff is sufficient to maintain connectivity.

Scenario-Example





Ad hoc Vs. Optimum Routing

Objective :

To minimize total energy usage in searching for a path and communication over a path.

- Low data rate - can use ad hoc routing.
- High data rate – need energy efficient paths.

(Data rates - low and high w.r.t the avg velocity of the agents)

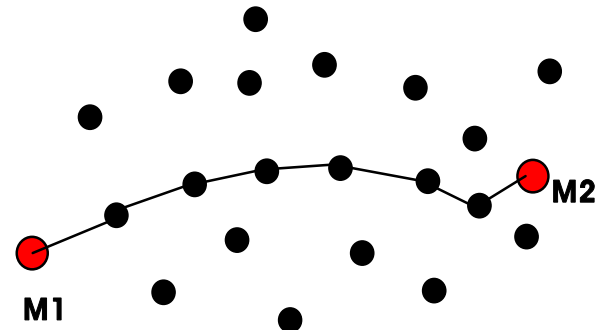


Local One-Hop Optimization

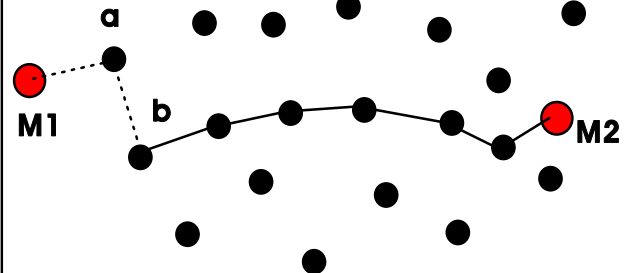
- Maintain Connectivity – Handoffs
- Local Optimization – “String Stretching”

Path Maintenance

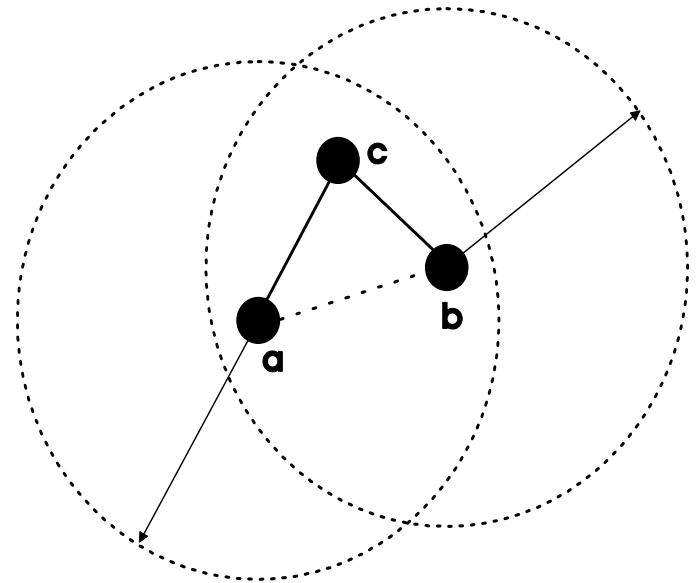
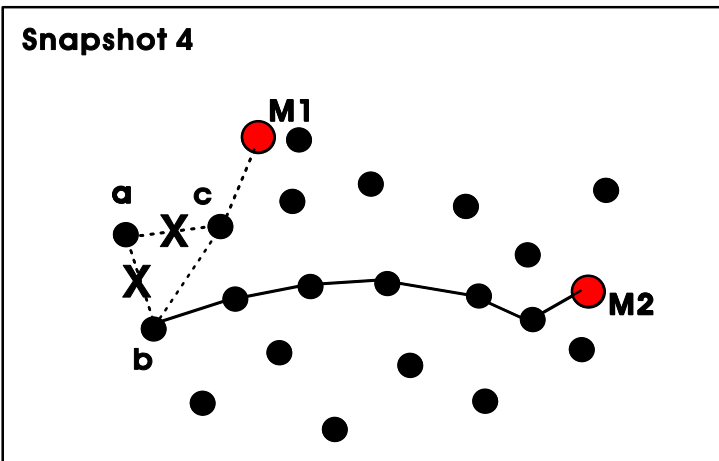
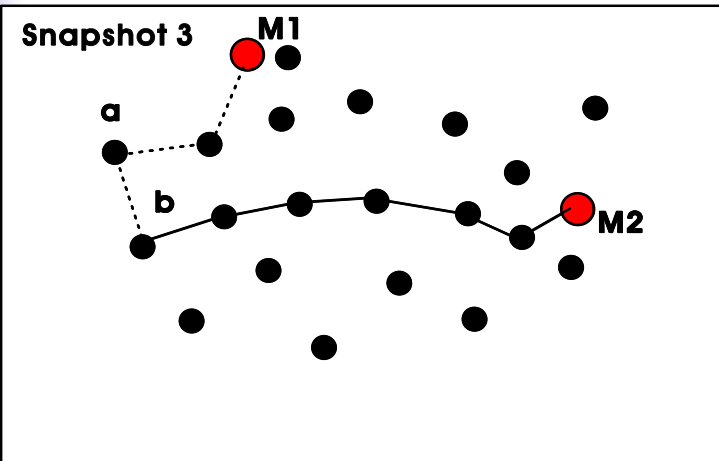
Snapshot 1



Snapshot 2



Local Optimizations





É - Compactness

$$\delta = \min_{u,v \in V} \frac{d(u, v)}{\hat{d}(u, v)}$$

$d(u; v)$ is the distance between nodes u and v

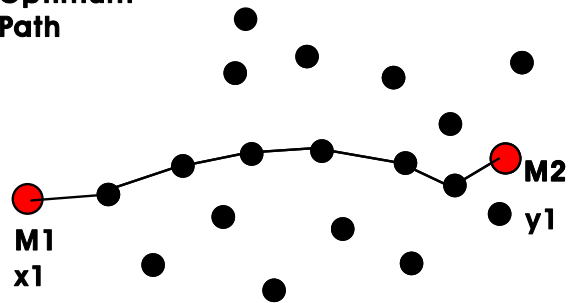
$\hat{d}(u; v)$ is the network distance

If a path of length ' l ' is known between u and v , then the optimum path lies in the ellipse

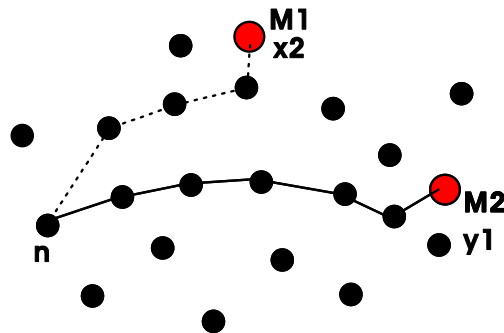
$$E = \{x \in \mathbb{R}^2 \mid d(u, x) + d(x, v) \leq \min(l, \frac{1}{\delta} d(u, v))\}$$

Path sub-optimality

Optimum
Path



Path
Extension





Path sub-optimality measures

$$\acute{I} = \frac{| \acute{a} |_{\text{ext}}}{| + |_{\text{ext}}}$$

measures change in
topology since last
search

$$\delta_{\text{ext}} = \min_{u,v \in P_{\text{ext}}} \frac{d(u,v)}{\hat{d}(u,v)}$$

measures
compactness of the
path



Search Region

$$E = \{x \in \mathbb{R}^2 \mid d(u, x) + d(x, v) \leq \min(l, \frac{1}{\delta}d(u, v))\}$$

$$l_{\text{search}} = \min(l, \frac{1}{\delta}d(u, v))$$

for $0 < \alpha \leq 1$, let

$$E_{\alpha} = \{x \in \mathbb{R}^2 \mid d(u, x) + d(x, v) \leq \alpha l_{\text{search}}\}$$

e close to 1 – high energy + high chance of finding better path



Choice of e

Search over an ellipse such that search energy (estimate) satisfies

$$\mathcal{E}_{\text{search}}(\alpha) \leq R\Delta t(\mathcal{E}(l) - \mathcal{E}(\alpha l_{\text{search}}))$$

Where

- R = rate of data communication
- Δt = time for which topology does not change
- $\mathcal{E}(l)$ = energy for communicating one bit over a path of length (l) (need to have an estimate)



Proposed Algorithm

At each time step t

- If an agent becomes **disconnected**, do **local handoff** to maintain connectivity
- Do **local optimization** using one hop information
- If γ is less than 0.90 (10% change since last path search), look for nodes on the path extension which give minimum value of compactness value.
 - For this pair of nodes, **choose** α by the criterion on previous slide
 - Update path between this pair
 - update path between the agents



Simulation Study

- Objectives
 - Gain intuition
 - Compare the performance of various schemes
 - Derive a set of design parameters

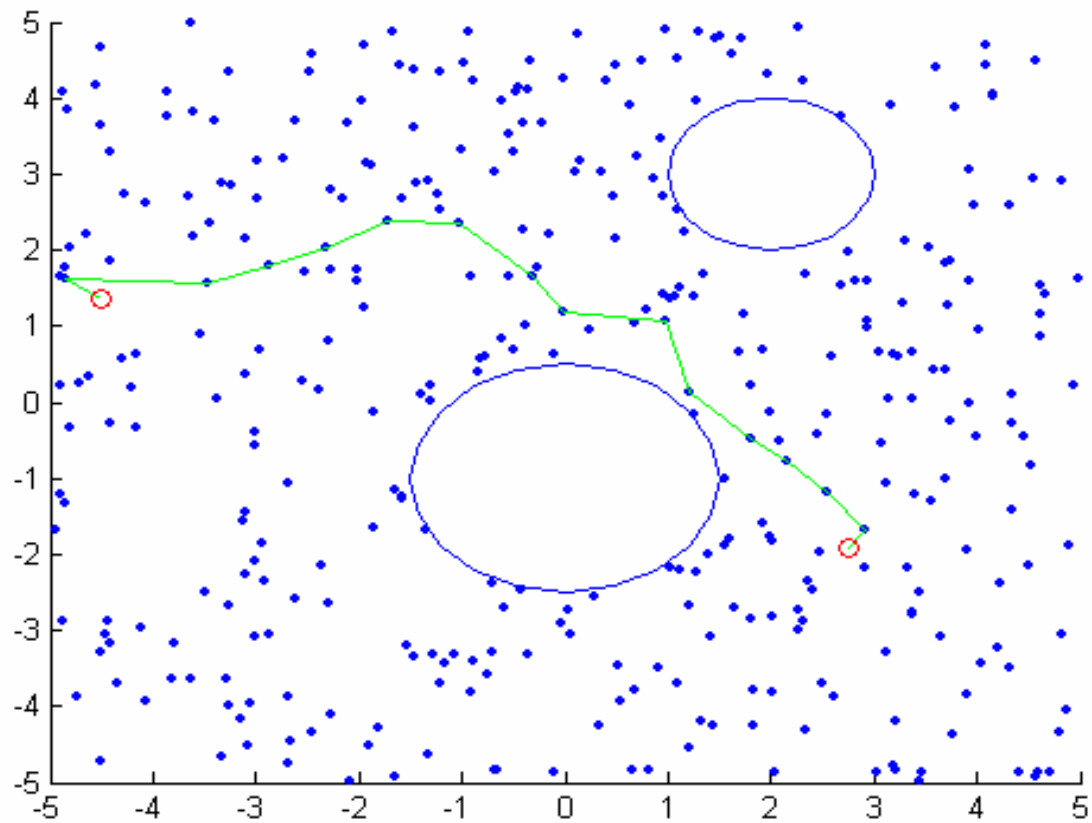


Simulation Setups

- Setup A: uniform node density in a 10x10 field
- Setup B: uniform node density except for two holes.



Setup B

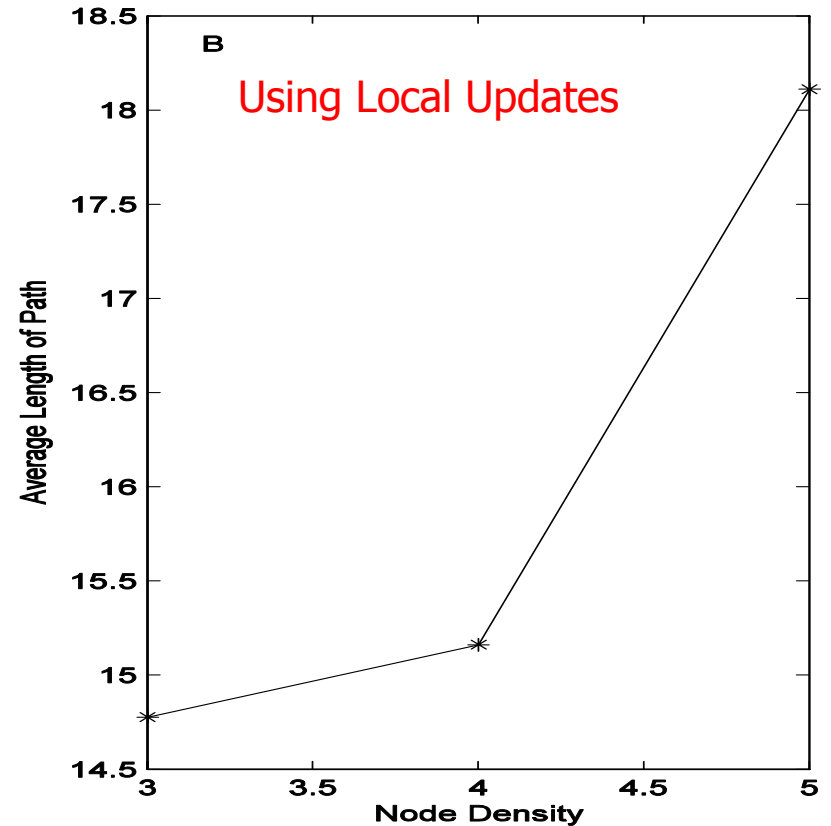
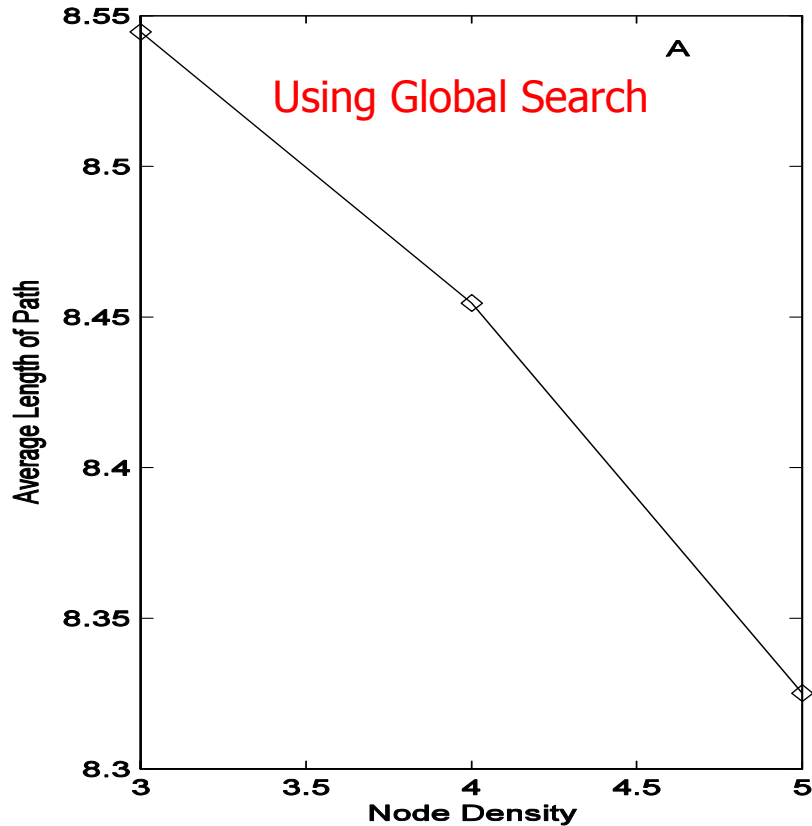




Experiment 1

- Does the average length of path maintained by an algorithm vary with node density?

Average Path Length





Experiment 2

- Objective
 - Compare the performance of different path update algorithms for a given scenario



Algorithms

When to Search?

Algorithm 1: Local Updates only

Algorithm 2: Uses only path compactness heuristic

Algorithm 3: Uses only % change in path length

Algorithm 4: Uses 2 and 3.



Results (Setup A)

Algorithm	Average Length of Path	Number of Searches	Number of Nodes Searched
Algo 1	16.95	0	0
Algo 2	8.4135	109	21238
Algo 3	7.9867	365	36181
Algo 4	8.4105	104	29909

Setup A. Agents moved around randomly for 10000 hops



Results (Setup B)

Algorithm	Average Length of Path	Number of Searches	Number of Nodes Searched
Algo 1	14.33	0	0
Algo 2	8.77	106	19454
Algo 3	8.52	291	28433
Algo 4	8.882	89	16826

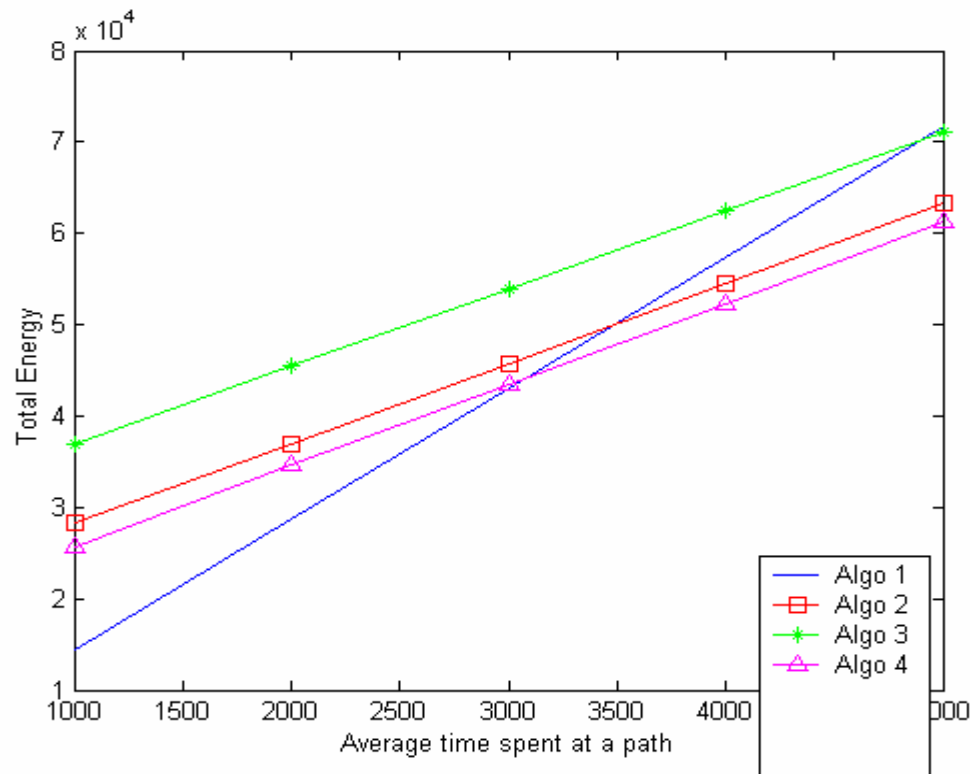
Setup B. Agents moved around randomly for 10000 hops



Sample Energy Calculation

- $E = C(L) * T + C(S)$
 - $C(L)$ - Average cost of transmitting on path of length L
 - T - Average time spent at a path
 - $C(S)$ – Average Cost of search

Energy Budget



Calculations done for simulation results on setup B



In Conclusion...

- We proposed and studied different algorithms for path maintenance and update.
- Performance of the algorithms depend on the scenario at hand.
- More simulations studies are required to characterize different environments and to derive design parameters.