# Instant Neural Graphics Primitives with a Multiresolution Hash Encoding

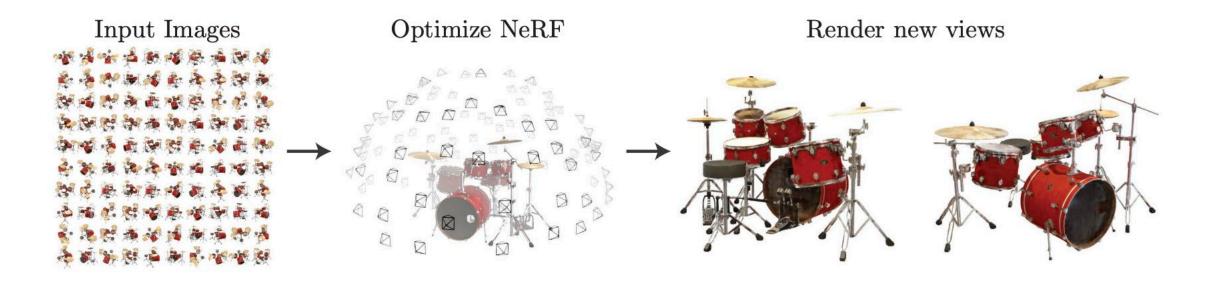
Thomas Müller

Alex Evans

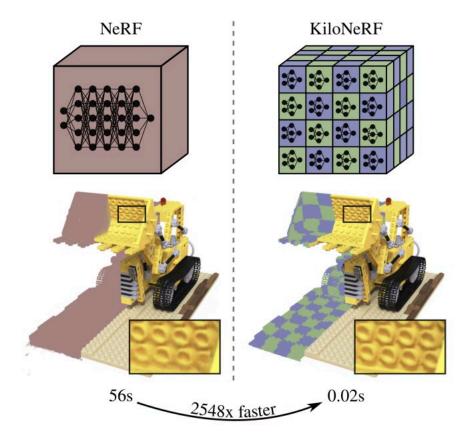
Christoph Schied

Alexander Keller

## NeRF

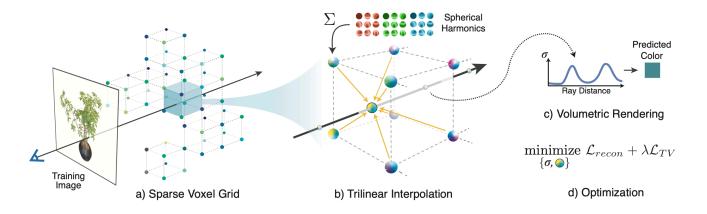


- NeRF Pros: simple representation, differentiable rendering model
- NeRF Cons: dumb brute force, insanely slow
- How can we improve the speed of volumetric rendering?



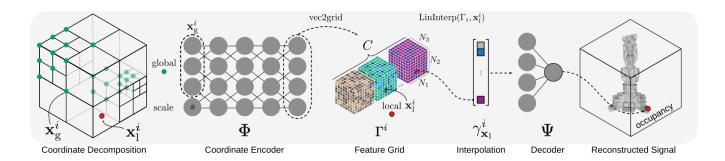
smaller MLPs

KiloNeRF: break up space into 163 or 323 voxels, each with its own set of (small) MLP weights



direct voxel lookups

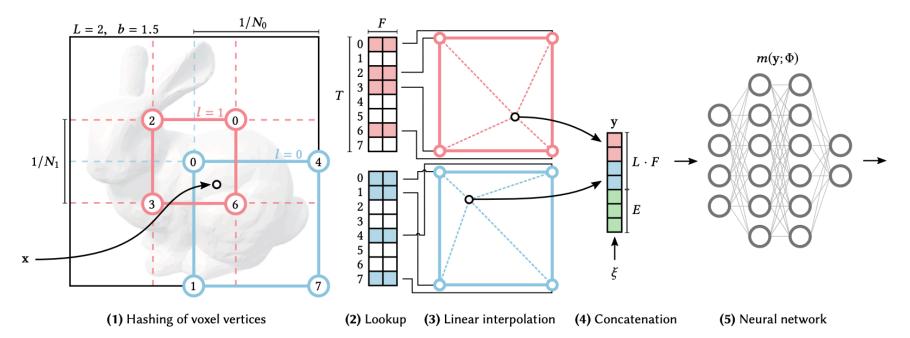
Plenoxels: 512<sup>A</sup>3 voxel grid with density and spherical harmonics



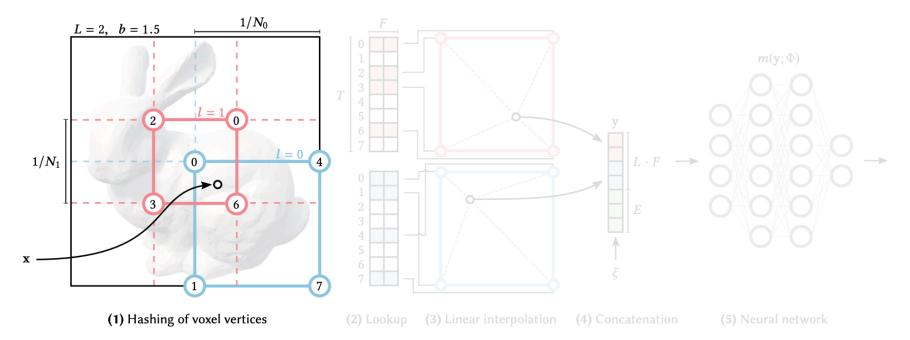
► Acorn: adaptive feature-grid with a lightweight MLP to decode

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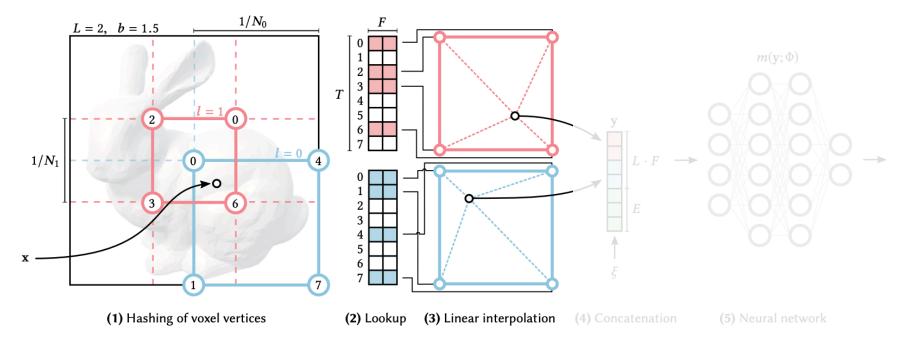
- 1. For a given input coordinate x, we find the surrounding voxels at L resolution levels and assign indices to their corners by hashing their integer coordinates  $h(\mathbf{x}) = \begin{pmatrix} d \\ \bigoplus x_i \pi_i \end{pmatrix} \mod T,$
- 2. For all resulting corner indices, we look up the corresponding F-dimensional feature vectors from the hash tables
- 3. Linearly interpolate them according to the relative position of x within the respective l-th voxel.
- 4. Concatenate + auxiliary inputs (the encoded view, etc.)
- 5. MLP



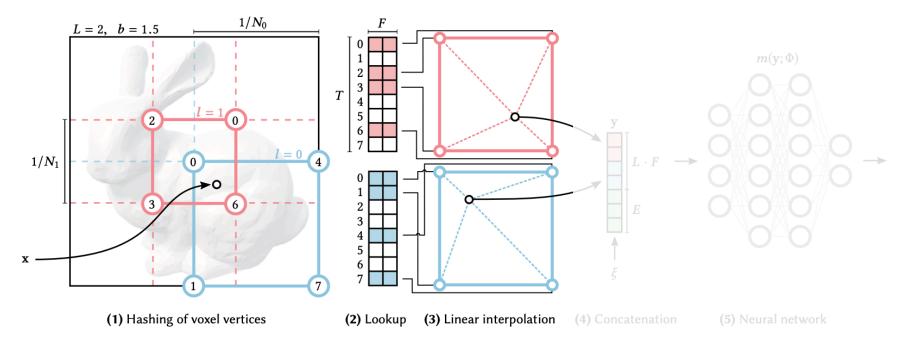
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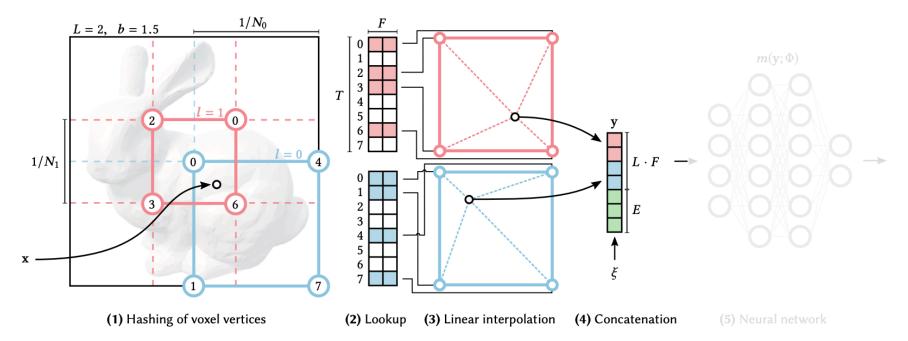


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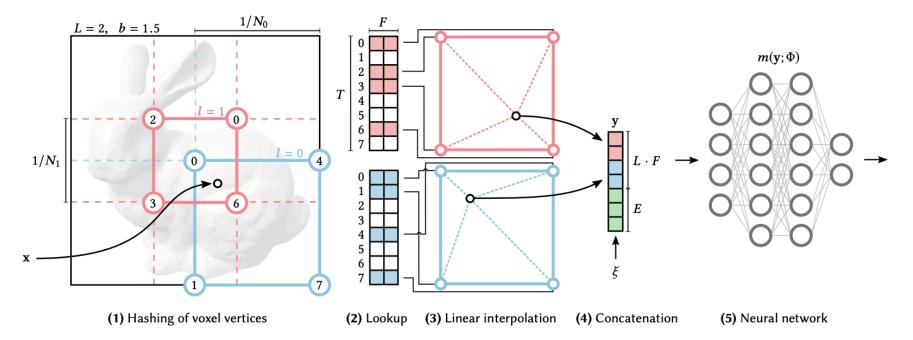


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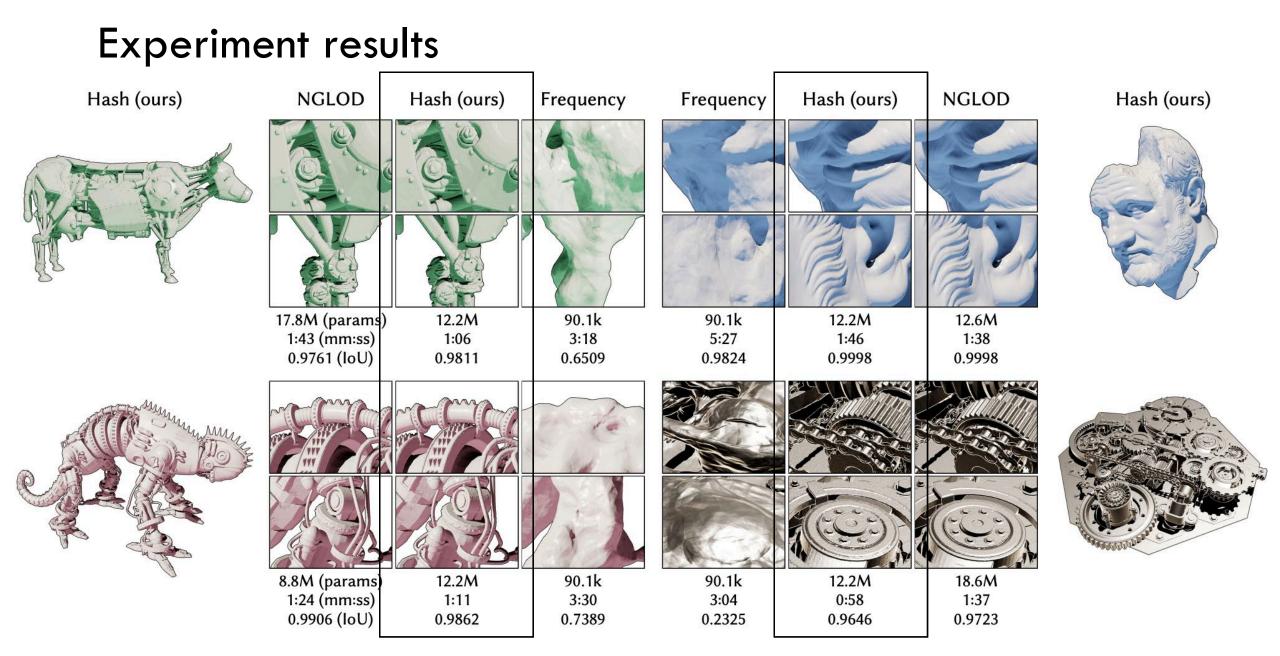
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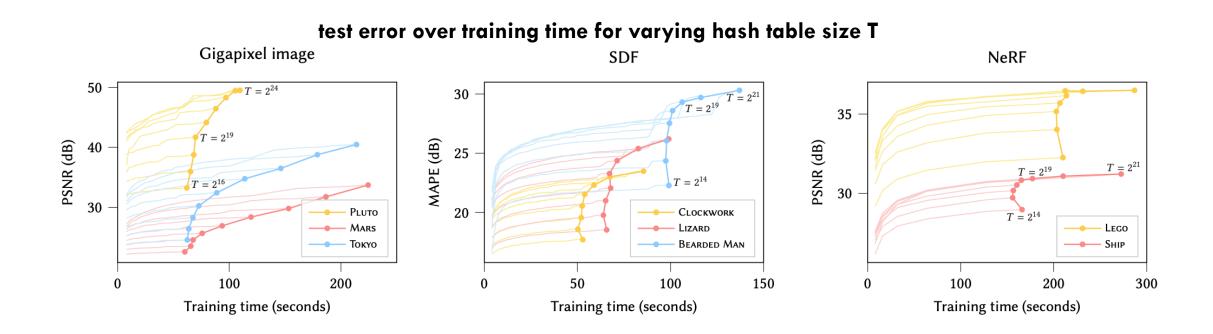


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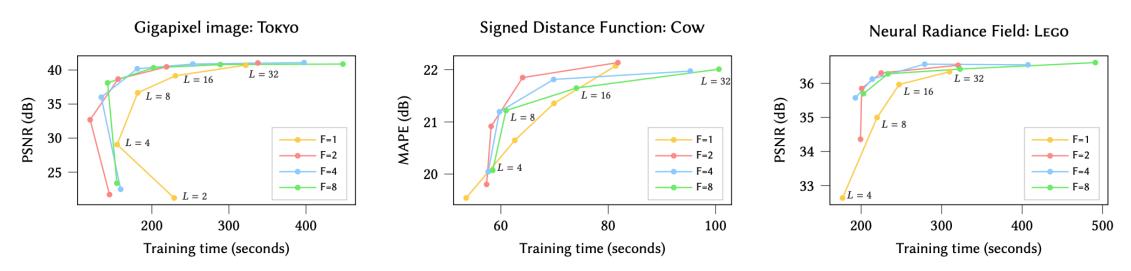
#### Experiment results - reconstruction quality



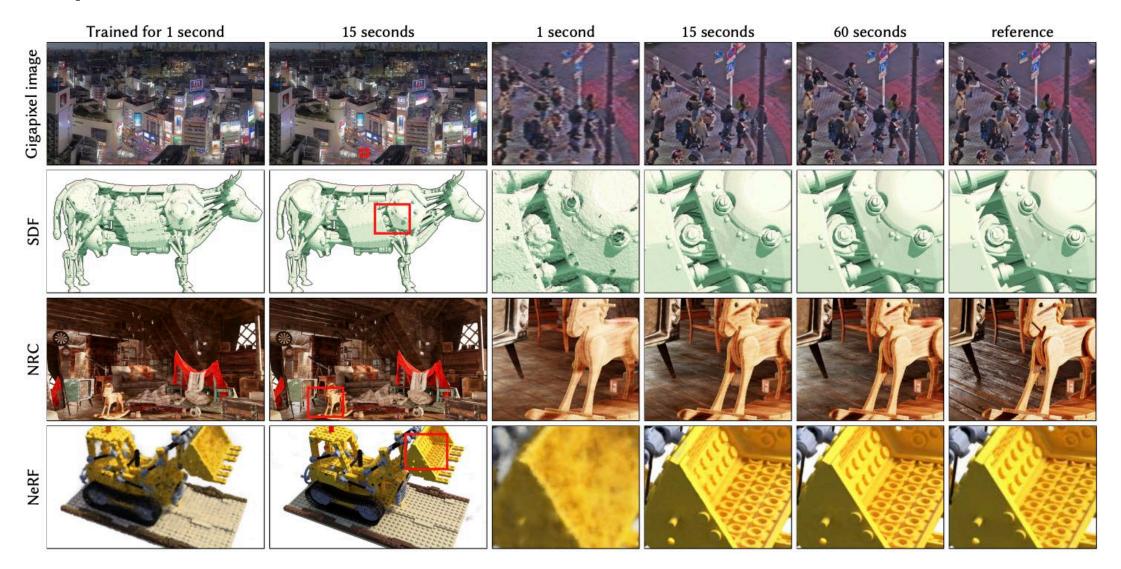




Test error over training time for fixed values of feature dimensionality F



#### Experiment results - runtime



#### Where does the speedup come from?

- factor of 10 from tiny-cuda-cnn optimised CUDA kernels
- factor of 10~100 from smaller MLP due to better encoding
  - Combine many hash maps with cells of different resolutions

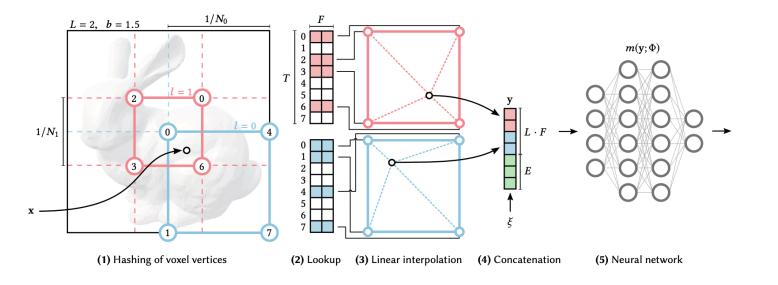
	Міс	Ficus	Chair	Нотрос	Materials	Drums	Ship	Lego	avg.
Ours: Hash (1 s)	26.09	21.30	21.55	21.63	22.07	17.76	20.38	18.83	21.202
Ours: Hash (5 s)	32.60	30.35	30.77	33.42	26.60	23.84	26.38	30.13	29.261
Ours: Hash (15 s)	34.76	32.26	32.95	35.56	28.25	25.23	28.56	33.68	31.407
Ours: Hash (1 min)	35.92 •	33.05 •	34.34 •	36.78	29.33	25.82 •	30.20 •	35.63 🔵	32.635 ●
Ours: Hash (5 min)	36.22	33.51 🗕	35.00	37.40	29.78 •	26.02	31.10	36.39 🗕	33.176
mip-NeRF (~hours)	38.04 😐	33.19	37.14 🗕	39.31 😐	32.56	27.02 😐	33.08 😐	35.74	34.510 🗕
NSVF (~hours)	34.27	31.23	33.19	37.14 •	32.68 😐	25.18	27.93	32.29	31.739
NeRF (~hours)	32.91	30.13	33.00	36.18	29.62	25.01	28.65	32.54	31.005
Ours: Frequency (5 min)	31.89	28.74	31.02	34.86	28.93	24.18	28.06	32.77	30.056
Ours: Frequency (1 min)	26.62	24.72	28.51	32.61	26.36	21.33	24.32	28.88	26.669

	Training speed	Rendering speed		
Original NeRF	1-2 days	30 sec		
KiloNeRF, cached voxels	1-2 days	1/60 sec		
Learned voxels	10-15 mins	1/15-1/2 sec		
Learned hash maps (Instant NGP)	5 sec - 5 mins	1/60 sec		

Ref: http://graphics.stanford.edu/courses/cs348n-22-winter/LectureSlides/FinalSlides/leo\_class\_nerf\_2022.pdf

# Hash Collision

- When the same feature vector is used for multiple spatial locations, you average gradients over all of them.
  - When only a small fraction of those locations have interesting things going on (e.g. not empty space), then that feature vector will mostly be used to represent the interesting stuff going on there, since gradients from that location will be largest.



# Summary

• multiresolution hash encoding

+

 Very small MLP (2-3 layers x 64 channels) decodes the trilinearly interpolated hash map features

+

• optimized CUDA kernels